# VEDIC MATHS -EKADHIKENA PURVENA 

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#### Abstract

As proponents of Vedic Math our ultimate objective and dharma is to expose the beauty of this ancient mathematical system to the world. Every student should have the chance to study this simple, fast, and easy form of math. In this paper, I be going to to go beyond the noticeable and attempt to determine if there are really any limitations to Vedic Math that are preventing it from reaching its rightful place in the day to day life.


INDEXTERMS - Vedic maths, squares, multiplications.

## INTRODUCTION

Vedic Mathematics is an olden system of mathematics exists in India. In this well-known loom, methods of basic sums are simple, influential and logical. Another benefit is its regularity. Because of these recompense, Vedic Mathematics has develop into an important topic for study. The method use in Vedic Mathematics is mainly base on sixteen Sutras.Vedic mathematics was reconstruct from the very old Indian scriptures (Vedas) by Swami Bharati Krishna Tirthaji Maharaja (1884-1960) after his eight years of study on Vedas[1]. Vedic mathematics is mostly based on sixteen principles or word-formulae which are termed as sutras [4].

These are the 16 -basic sutra of Vedic mathematic:
1)Ekadhikina Purvena-By one more than the previous One.
2)Ekanyunena Purvena -By one less than the previous one.
3)(Anurupye) Shunyamanyat -If one is in ratio, the other is zero.
4)ChalanaKalanabyham-Differences and similarities.
5)Sankalana-vyavakalanabhyam -By addition and by subtraction.
6)Shesanyankena Charamena-The remainders by the last digit.
7)Puranapuranabyham -By the completion noncompletion.
8)Urdhva-tiryakbhyam -Vertically and crosswise.
9)Nikhilam Navatashcaramam Dashatah -All from 9 and last from 10.
10)Paraavarty a Yojayet-Transpose and adjust.
11)Shunyam Saamyasamuccaye -When the sum is same then sum is zero.
12)Yaavadunam-Whatever the extent of its deficiency.
13)Vyashtisamanstih -Part and Whole
14)Gunitasamuchyah-The product of sum is equal to sum of the product.
15)Sopaantyadvayamantyam -The ultimate and twice the penultimate.
16)Gunakasamuchyah-Factors of the sum is equal to the sum of factors.

## METHODOLOGY:

1) EKADHIKENA PURVENA-By one more than the previous One.

It means one more than previous one we relate this sutra to multiplication of numbers suppose p with digit $\left[\mathrm{p}_{1}, \mathrm{p}_{0}\right]$ and q with digit $\left[\mathrm{q}_{1}, \mathrm{q}_{0}\right]$ whose last digit addition $\left(\mathrm{q}_{0}+\mathrm{p}_{0}\right)$ comes out to be 10 and previous digit both numbers $\left(\mathrm{p}_{1}=\mathrm{q}_{1}\right)$ is same, this sutra, gives the procedure as follows:

1. Last digit $\mathrm{p}_{0} \mathrm{Xq}_{0}=\mathrm{y}_{1} \mathrm{y}_{0}$
2. Previous digit $\left(\mathrm{p}_{1}=\mathrm{q}_{1}\right)=\mathrm{p}_{1} \mathrm{X}\left(\mathrm{p}_{1}+1\right)=\mathrm{z}_{2} \mathrm{z}_{1} \mathrm{z}_{0}$.
3. Concatenate result of equations mentioned in point no 2 and 1 gives $z_{2} z_{1} z_{0} y_{1} y_{0}$ which is equal to the numeric value of pxq.

Here we relate the sutra to the 'squaring of numbers ending with 5 'the number 35 , the last digit is 5 and previous digit is 3 . Hence, 'one more than the previous one', means $3+1=4$ gives the procedure 'to multiply the previous digit 3 by one more than itself that is by 4 '. It becomes the left hand part of the result here $3 \times 4=12$ and the right hand part is $(5)^{2}=25$. Thus $(35)^{2}=3 \times 4 \mid 25=1225$

In this way
$(45)^{2}=4 \times 5 \mid 25=2025$
$(55)^{2}=5 \times 6 \mid 25=3025$
$(105)^{2}=10 \times 11 \mid 25=11025$
$(115)^{2}=11 \times 12 \mid 25=13225$

| Nos. | Value <br> $(\mathrm{x})^{2}$ | Answer | Nos. | Value <br> $(\mathrm{x})^{2}$ | Answer | Nos. | Value <br> $(\mathrm{x})^{2}$ | Answer |
| :--- | :--- | :--- | :--- | :--- | :--- | :--- | :--- | :--- |
| 1 | 05 | 25 | 11 | 105 | 11025 | 21 | 205 | 42025 |
| 2 | 15 | 225 | 12 | 115 | 13225 | 22 | 255 | 65025 |
| 3 | 25 | 625 | 13 | 125 | 15625 | 23 | 305 | 93025 |
| 4 | 35 | 1225 | 14 | 135 | 18225 | 24 | 315 | 99225 |
| 5 | 45 | 2025 | 15 | 145 | 21025 | 25 | 405 | 164025 |
| 6 | 55 | 3025 | 16 | 155 | 24025 | 26 | 455 | 207025 |
| 7 | 65 | 4225 | 17 | 165 | 27225 | 27 | 555 | 308025 |
| 8 | 75 | 5625 | 18 | 175 | 30625 | 28 | 645 | 416025 |
| 9 | 85 | 7225 | 19 | 185 | 34525 | 29 | 755 | 570025 |
| 10 | 95 | 9025 | 20 | 195 | 38025 | 30 | 875 | 765625 |

Algebraic proof: consider the identity $(p x+q)^{2}$
$(p x+q)^{2}=p^{2} \cdot x^{2}+2 p \cdot q \cdot x+q^{2}$
For this identity let $\mathrm{x}=10$ and $\mathrm{q}=5$ it becomes

$$
\begin{aligned}
(10 \mathrm{p}+5)^{2} & =\mathrm{p}^{2} \cdot 10^{2}+2 \cdot 10 \mathrm{p} \cdot 5+5^{2} \\
& =\mathrm{p}^{2} \cdot 10^{2}+\mathrm{p} 10^{2}+5^{2} \\
& =\left(\mathrm{p}^{2}+\mathrm{p}\right) \cdot 10^{2}+5^{2}
\end{aligned}
$$

$(10 p+5)^{2}=p(p+1) \cdot 10^{2}+25$.

Clearly 10p+5 represent two digit numbers $15,25,35,45,55,-------95$ and for the values $\mathrm{p}=1,2,3,4,5,----9$ respectively.
In such a case the number $(10 \mathrm{p}+5) 2$ is of the form whose L.H. S. is $\mathbf{p}(\mathbf{p}+\mathbf{1})$ and R.H. S. is $\mathbf{2 5}$ that is , $\mathbf{p}(\mathbf{p}+\mathbf{1}) \mid \mathbf{2 5}$

Any two digit number gives the result in the same manner. Let's see some examples.
$(35)^{2}=(30+5)^{2}$ if we convert in the form of $(p x+q) 2$ for $p=3$ and $x=10$ and $q=5$ then we get Then we get the answer in $\mathbf{p}(\mathbf{p}+\mathbf{1}) \mid \mathbf{2 5}$ i.e. $\mathbf{3}(\mathbf{3 + 1}) \mid \mathbf{2 5}$

$$
\begin{aligned}
& =3 \mathrm{X} 4 \mid 25 \\
(30+5)^{2} & =1225
\end{aligned}
$$

Ex.2. $(55)^{2}=(50+5)^{2}=$ Here $\mathrm{p}=5, \mathrm{x}=10, \mathrm{q}=5$,

$$
\begin{aligned}
& =\mathrm{p}(\mathrm{p}+1) \mid 25 \\
& =5(5+1) \mid 25 \\
& =5 \mathrm{X} 6 \mid 25 \\
(50+5)^{2} & =3025
\end{aligned}
$$

Let's see the another identity, $\mathrm{px}^{2}+\mathrm{qx}+\mathrm{r}$ for $\mathrm{x}=10, \mathrm{p} \neq 0, \mathrm{p}, \mathrm{q}, \mathrm{r}, \mathrm{€} \mathrm{W}$
Now $\left(p x^{2}+q x+r\right)^{2}=p^{2} x^{4}+q^{2} x^{2}+r^{2}+2 p q x^{3}+2 q r x+2 r p x^{2}$

$$
=\mathrm{p}^{2} \mathrm{x}^{4}+2 \mathrm{pqx} \mathrm{x}^{3}+\left(\mathrm{q}^{2}+2 \mathrm{pr}\right) \mathrm{x}^{2}+2 \mathrm{qr} \cdot \mathrm{x}+\mathrm{r}^{2}
$$

For this identity let $\mathrm{x}=10, \mathrm{r}=5$ therefore $\left(\mathrm{p} 10^{2}+\mathrm{q} 10+5\right)^{2}$ becomes

$$
\begin{aligned}
& =\mathrm{p}^{2} \cdot \mathrm{x}^{4}+2 \text { p.q. } 10^{3}+\left(\mathrm{q}^{2}+2 \cdot 5 \cdot \mathrm{p}\right) 10^{2}+2 \cdot \mathrm{q} \cdot 5 \cdot 10+5^{2} \\
& =\mathrm{p}^{2} \cdot 10^{4}+2 \cdot \mathrm{p} \cdot \mathrm{q} \cdot 10^{3}+\left(\mathrm{q}^{2}+10 \cdot \mathrm{p}\right) 10^{2}+\mathrm{q} \cdot 10^{2}+5^{2} \\
& =\mathrm{p}^{2} \cdot 10^{4}+2 \cdot \mathrm{pq} \cdot 10^{3}+\mathrm{q}^{2} 10^{2}+\mathrm{p} 10^{3}+\mathrm{q} 10^{2}+5^{2} \\
& =\mathrm{p}^{2} \cdot 10^{4}+(2 \mathrm{pq}+\mathrm{p}) 10^{3}+\left(\mathrm{q}^{2}+\mathrm{q}\right) 10^{2}+5^{2} \\
& =\left(\mathrm{p}^{2} \cdot 10^{2}+2 \mathrm{p} \cdot \mathrm{q} \cdot 10+\mathrm{p} \cdot 10+\mathrm{q}^{2}+\mathrm{q}\right) 10^{2}+5^{2} \\
& =(10 \mathrm{p}+\mathrm{q})(10 \mathrm{p}+\mathrm{q}+1) \cdot 10^{2}+25 \\
& =\mathbf{P}(\mathbf{P}+\mathbf{1}) \mathbf{1 0}+\mathbf{2 5} \text { where } \mathrm{P}=10 \mathrm{p}+\mathrm{q}
\end{aligned}
$$

Hence any three digit number whose last digit is 5 gives the same result as in ( $p x+q$ ) for $\mathrm{P}=10 \mathrm{p}+\mathrm{q}$, the 'previous' of 5 .
For example let us solve $175^{2}=\left(1.10^{2}+7.10+5^{2}\right)^{2}$
It is of the sum form $\left(p x^{2}+q x+r\right)^{2}$ for $p=1, q=7, r=5$ and $x=10$. It gives the answer $\mathbf{P}(\mathbf{P}+\mathbf{1}) \mid \mathbf{2 5}$, where $\mathrm{P}=10 \mathrm{p}+\mathrm{q}=10 \mathrm{x} 1+7=17$, the previous. The answer is $17(17+1) \mid 25$ 17x18|25=30625

## CONCLUSION AND FUTURE SCOPE

Design with vedic maths and vedic sutras is seen to be efficient in alacrity and region of basic physics and basic mathematics with respect to simple equations.

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